В

6

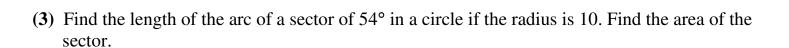
Z

 $5\sqrt{3}$ 

5

6

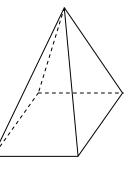
- (1) Find the area of an equilateral triangle if each side is 8.
- (2) Given the figure to the right, AB is tangent at B, sides as marked, find the values of x , y , and z please.

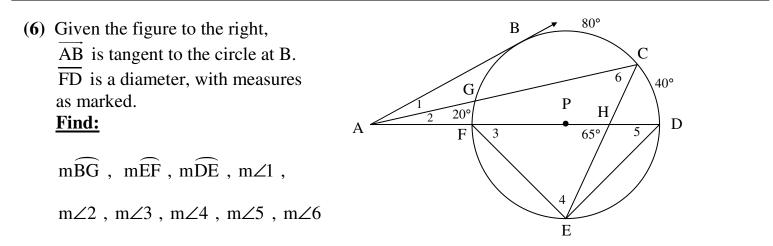


Х

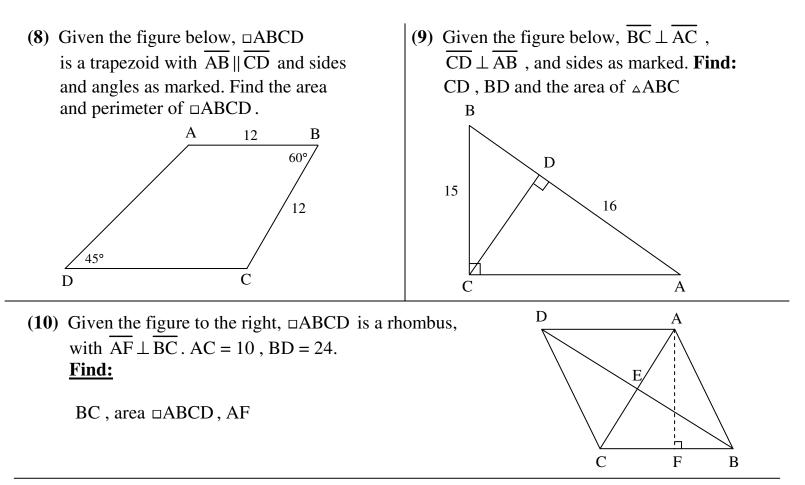
y

- (4) The apothem of a regular hexagon is  $10\sqrt{3}$ . Find the length of each side of the hexagon. Find the area of the hexagon.
- (5) The altitude of a regular pyramid with a square base is 12, and the slant height is 13. Find the volume, LSA and TSA of the pyramid please.

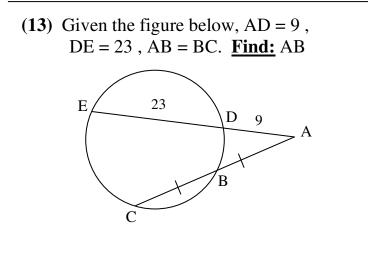


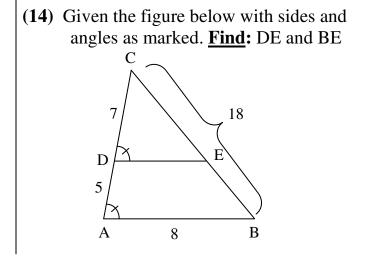


<sup>(7)</sup> The areas of two similar triangles are 144 and 256. If a side of the smaller triangle is 9, how long is the corresponding side of the larger triangle?



- (11) In a circle whose radius is 6, the area of a sector is  $15\pi$ . Find the measure of the central angle of the sector and the length of the arc of the sector please.
- (12) Each side of an equilateral triangle is 12. Find the area of its inscribed and circumscribed circles.



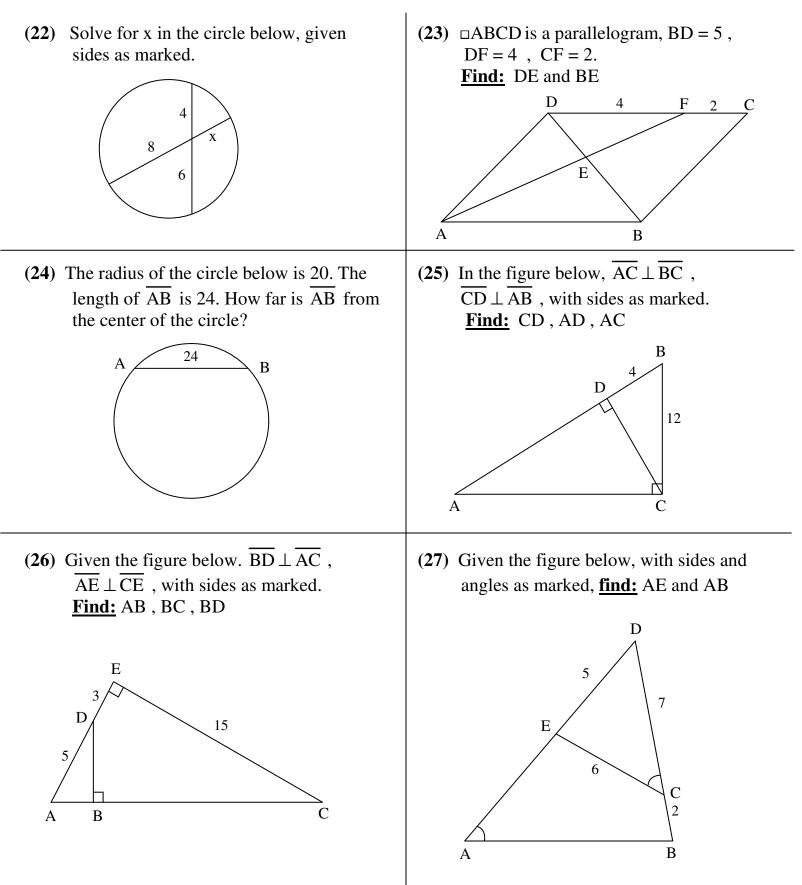


(16) The length of each lateral edge in the

(15) In  $\triangle$ ABC below,  $m \angle 1 = m \angle 2$ , and

sides are as marked. Find: BD and CD cube below is 6. Find: the LSA, TSA volume, BD and BH. Α Η G 15 9 Ε F D С D С В B 16 (17)  $\overline{AB}$  is tangent to the circle below. Find AB (18) Find the area of the shaded region in the given sides as marked. figure below if O is the center of the circle 120° В В 6 С 6 0 12 D (19) A square pyramid with base edge 4 is (20) Find the volume of a sphere inscribed inscribed in a cone with height 6. Find the in a cube if each side of the cube is 6. volume of the pyramid and cone.

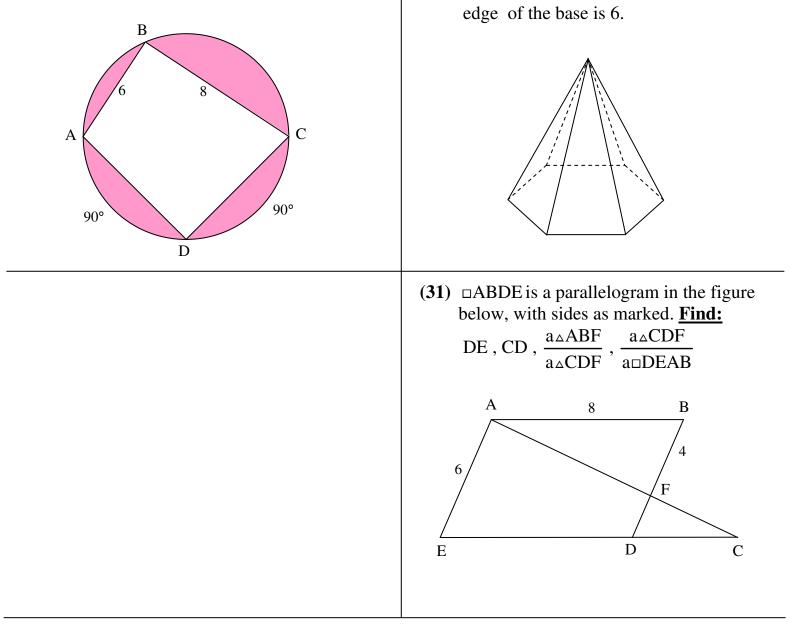
(21) The area of an equilateral triangle is  $25\sqrt{3}$ . Find the length of its sides and altitudes please.



(29) Find the LSA, TSA, and volume of

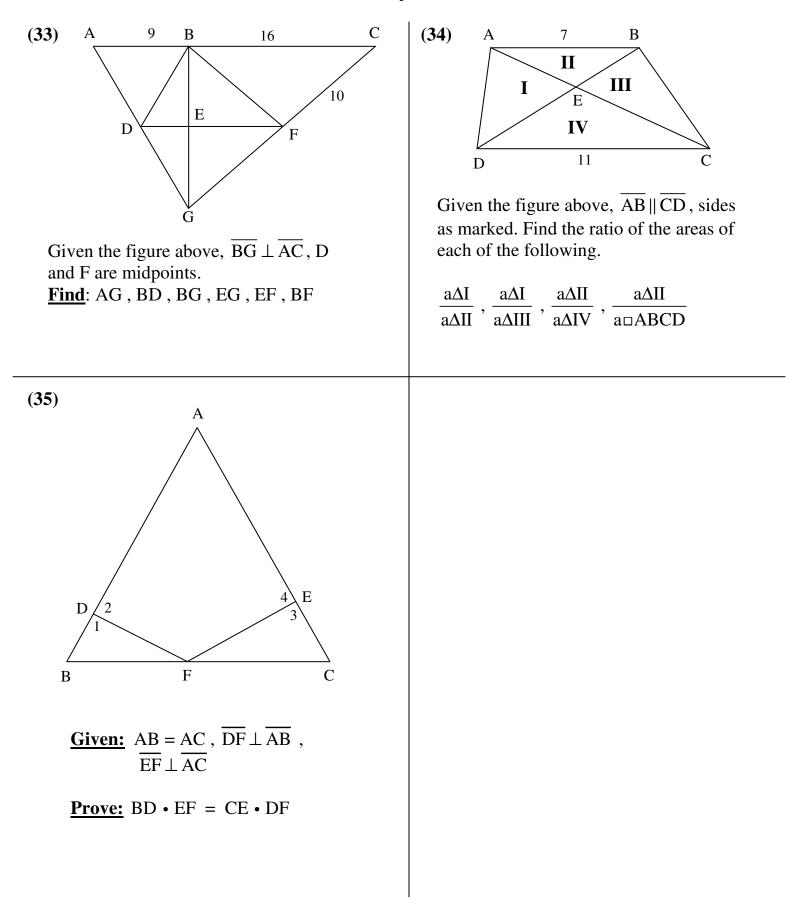
the right regular hexagonal pyramid below if the altitude is  $4\sqrt{3}$  and each

(28) Find the sum of the areas of the shaded regions in the figure below given lengths and arcs as marked.



(32)  $\triangle ABC$  has vertices A (-5, 4), B (1, -2) and C (3, 6).

- (a) Write the equation of  $\overline{AB}$ .
- (b) Write the equation of the altitude to  $\overrightarrow{AC}$ .
- (c) Write the equation of the perpendicular bisector of  $\overline{AC}$ .
- (d) Find the perimeter of  $\triangle ABC$ .
- (e) Find the length of the median to AB.



**(1)** 16√3

(2) x = 4, y = 3,  $z = \frac{13}{2}$ 

- (3) Length of arc is  $3\pi$ , area of sector is  $15\pi$
- (4) Each side is 20, area of the hexagon is  $600\sqrt{3}$
- (5) Volume is 400, LSA is 260, TSA is 360

(6) 
$$\widehat{\text{mBG}} = 40^\circ$$
,  $\widehat{\text{mEF}} = 90^\circ$ ,  $\widehat{\text{mDE}} = 90^\circ$ ,  $\mathbb{m}\angle 1 = 20^\circ$ ,

$$m \angle 2 = 10^{\circ}, \ m \angle 3 = 45^{\circ}, \ m \angle 4 = 70^{\circ}, \ m \angle 5 = 45^{\circ}, \ m \angle 6 = 55^{\circ}$$

(7) 12

(8) Area = 
$$54\sqrt{3} + 54$$
, perimeter =  $30 + 6\sqrt{6} + 6\sqrt{3}$ 

(9) CD = 12, BD = 9, area = 150

(10) BC = 13, area  $\square$ ABCD = 120, AF =  $\frac{120}{13}$ 

(11) Central angle is  $150^{\circ}$ , arc length of the sector is  $5\pi$ 

(12) Area inscribed circle is  $12\pi$ , area circumscribed circle is  $48\pi$ 

(**13**) AB = 12

(14)  $DE = \frac{14}{3}$ ,  $BE = \frac{15}{2}$ 

(15) BD = 6, CD = 10

(16) LSA = 144 , TSA = 216 , Volume = 216 , BD =  $6\sqrt{2}$  , BH =  $6\sqrt{3}$ 

(17) AB = 8

(18)  $12\pi - 9\sqrt{3}$ 

(19) Volume pyramid = 32, volume cone =  $16\pi$ 

**(20)** 36π

(21) side = 10 , altitude =  $5\sqrt{3}$ 

(22) x = 3

(23) DE = 2, BE = 3

(24) 16

(25) CD = 
$$8\sqrt{2}$$
 , AD = 32 , AC =  $24\sqrt{2}$ 

(26) 
$$AB = \frac{40}{17}$$
,  $BC = \frac{249}{17}$ ,  $BD = \frac{75}{17}$ 

(27) AE = 
$$\frac{38}{5}$$
, AB =  $\frac{54}{5}$ 

(28)  $25\pi - 49$ 

(29) LSA = 
$$90\sqrt{3}$$
, TSA =  $144\sqrt{3}$ , Volume = 216

(30) area = 
$$48\pi + 18\sqrt{3}$$
, perimeter =  $16\pi$ 

(31) DE = 8, CD = 4, 
$$\frac{a \triangle ABF}{a \triangle CDF} = \frac{4}{1}$$
,  $\frac{a \triangle CDF}{a \square DEAB} = \frac{1}{12}$ 

(32) (a) 
$$y = -x - 1$$

- **(b)** y = -4x + 2
- (c) y = -4x + 1
- (**d**)  $4\sqrt{17} + 6\sqrt{2}$
- (e)  $5\sqrt{2}$

(33) AG = 15, BD =  $\frac{15}{2}$ , BG = 12, EG = 6, EF = 8, BF = 10

(34) 
$$\frac{a\Delta I}{a\Delta II} = \frac{11}{7}$$
,  $\frac{a\Delta I}{a\Delta III} = \frac{1}{1}$ ,  $\frac{a\Delta II}{a\Delta IV} = \frac{49}{121}$ ,  $\frac{a\Delta II}{a\Box ABCD} = \frac{49}{324}$